

## $(Q^*, s)$ - CONTINUOUS FUNCTIONS IN TOPOLOGICAL SPACES

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Date of Receiving : 24. 03. 2015  
Date of Revision : 10. 05. 2015  
Date of Acceptance : 11. 05. 2015

**Abstract.** In this paper, new generalizations of contra - continuity by using  $Q^*$  - closed sets called  $(Q^*, s)$  - continuity are presented. Characterizations and properties of  $(Q^*, s)$  - continuous functions are discussed in detail. Finally, we obtain many important results in topological spaces.

### 1. Introduction

Levine (1960) introduced the notion of generalized closed (briefly  $g$  - closed) sets in topological spaces and showed that compactness, countably compactness, para compactness and normality etc are all  $g$ -closed hereditary. The notion of  $b$  - open sets were introduced by Andrijevic [2]. Miguel caldas, Saeid Jafari and Raja M. Latif [16] introduced and studied  $(b, s)$  - continuous function in topological spaces. In 1982, Mashhour et al [15] introduced the notion of pre-open sets and the pre-closed sets were defined in [7]. The notion of  $Q^*$  - closed sets in a topological space was introduced by Murugalingam and Lalitha [17] in 2010. Initiation of contra-continuity was due to Dontchev [6]. In this paper, new generalizations of contra-continuity by using  $Q^*$  - closed sets called  $(Q^*, s)$  - continuity are presented. Characterizations and properties of  $(Q^*, s)$  - continuous functions are discussed in detail. Finally, we obtain many important results in topological spaces. Throughout this paper,  $(X, \tau)$  and  $(Y, \sigma)$  (or  $X$  and  $Y$ ) stand for topological spaces. For any subset  $A$  of  $X$ , the closure and the interior of  $A$  are denoted by  $Cl(A)$  and  $Int(A)$ , respectively.

### 2. Preliminaries

Before entering to our work we recall the following definitions and results which are used in this paper.

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2010 *Mathematics Subject Classification.* 54D10.

*Key words and phrases.*  $(Q^*, s)$  - continuous functions.

*Communicated by.* Hemant Kumar

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