

## ON QUASI S-TOPOLOGICAL IP-LOOPS

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**Abstract.** In this paper, we have investigated that in what manner separately semi-continuous multiplication and semi continuous inverse mappings of topological spaces are defined over loops, in particular, over IP-loops. We have also constructed an example of quasi s-topological IP-loops by using zero dimensional additive metrizable perfect topological IP-loop  $L^*$  with relative topology  $\tau_{L'}$ .

### 1. Introduction

With the introduction of semi open set by N. Levine, many of the mathematicians examined and explored several concepts by using semi continuity and semi open sets [8, 17, 19]. A number of new results are obtained when open set is replaced by semi open set and continuity is replaced by semi continuity [6, 10, 12, 22].

N. Levine defined semi open set as: A subset  $M$  of  $X$  is semi open, if there is an open set  $O$  in  $X$  such that

$$O \subseteq M \subseteq Cl(O)$$

or

$$M \subseteq Cl(Int(M)).$$

The collection of all semi open sets in  $X$  is denoted by  $SO(X)$  and  $SO(X, t)$  denotes the collection of all semi open sets containing  $t$ .

A point  $t \in X$  is a semi interior point of  $M$ , if there exists a semi open set  $M'$  such that

$$t \in M' \subseteq M.$$

$sInt(M)$  is the set of all semi interior points of  $M$ . For any semi open set  $M_t$ ,  $t \in sCl(M')$  if and only if  $M_t \cap M' \neq \emptyset$  [1].

A mapping  $f : X \rightarrow Y$  is said to be

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